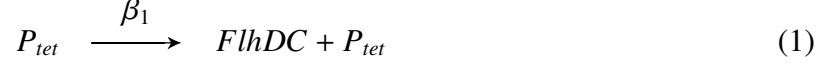
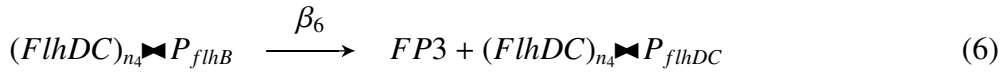
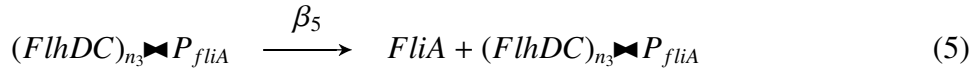
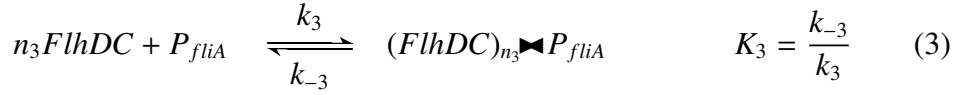


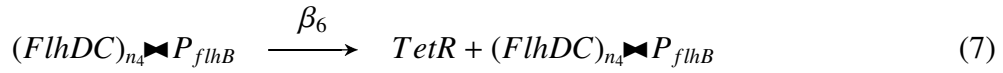
specific to  $P_{tet}$ -circuit



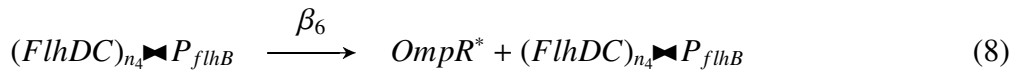
specific to  $P_{flhDC}$ -circuit

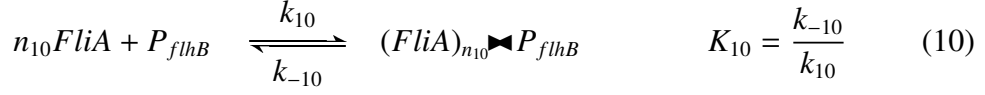
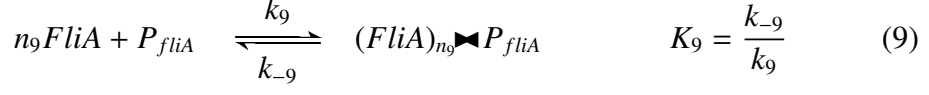


specific to  $P_{tet}$ -circuit

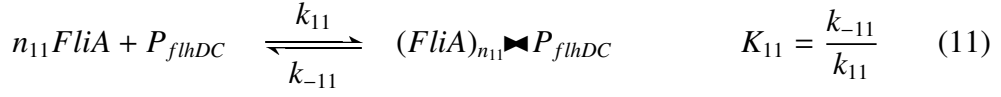


specific to  $P_{flhDC}$ -circuit

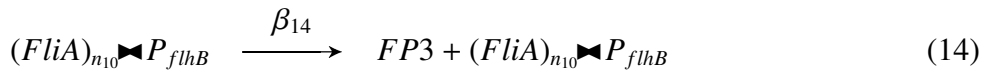
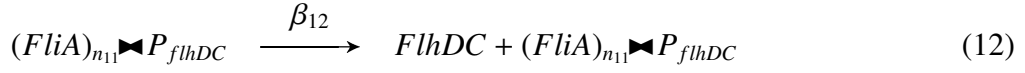




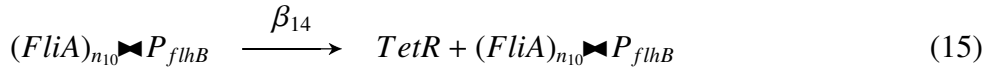
specific to  $P_{\text{flhDC}}$ -circuit



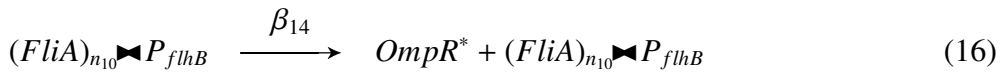
specific to  $P_{\text{flhDC}}$ -circuit



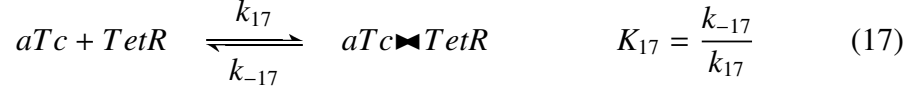
specific to  $P_{\text{tet}}$ -circuit



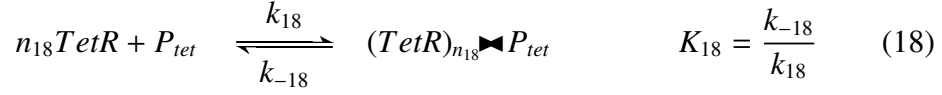
specific to  $P_{\text{flhDC}}$ -circuit



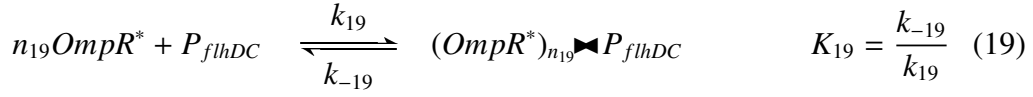
specific to  $P_{tet}$ -circuit



specific to  $P_{tet}$ -circuit



specific to  $P_{flhDC}$ -circuit



specific to  $P_{tet}$ -circuit



specific to  $P_{flhDC}$ -circuit



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$$(3) \Rightarrow \frac{d[(FlhDC)_{n_3} \blacktriangleright P_{fliA}]}{dt} = k_3 [FlhDC]^{n_3} [P_{fliA}] - k_{-3} [(FlhDC)_{n_3} \blacktriangleright P_{fliA}] \quad (25)$$

$$\Rightarrow [(FlhDC)_{n_3} \blacktriangleright P_{fliA}]_{eq} = \frac{[FlhDC]^{n_3}}{K_3 + [FlhDC]^{n_3}} \cdot [P_{fliA}^{total}] \quad (26)$$


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$$(4) \Rightarrow \frac{d[(FlhDC)_{n_4} \blacktriangleright P_{flhB}]}{dt} = k_4 [FlhDC]^{n_4} [P_{flhB}] - k_{-4} [(FlhDC)_{n_4} \blacktriangleright P_{flhB}] \quad (27)$$

$$\Rightarrow [(FlhDC)_{n_4} \blacktriangleright P_{flhB}]_{eq} = \frac{[FlhDC]^{n_4}}{K_4 + [FlhDC]^{n_4}} \cdot [P_{flhB}^{total}] \quad (28)$$


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$$(9) \Rightarrow \frac{d[(FliA)_{n_9} \blacktriangleright P_{fliA}]}{dt} = k_9 [FliA]^{n_9} [P_{fliA}] - k_{-9} [(FliA)_{n_9} \blacktriangleright P_{fliA}] \quad (29)$$

$$\Rightarrow [(FliA)_{n_9} \blacktriangleright P_{fliA}]_{eq} = \frac{[FliA]^{n_9}}{K_9 + [FliA]^{n_9}} \cdot [P_{fliA}^{total}] \quad (30)$$


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$$(10) \Rightarrow \frac{d[(FliA)_{n_{10}} \blacktriangleright P_{flhB}]}{dt} = k_{10} [FliA]^{n_{10}} [P_{flhB}] - k_{-10} [(FliA)_{n_{10}} \blacktriangleright P_{flhB}] \quad (31)$$

$$\Rightarrow [(FliA)_{n_{10}} \blacktriangleright P_{flhB}]_{eq} = \frac{[FliA]^{n_{10}}}{K_{10} + [FliA]^{n_{10}}} \cdot [P_{flhB}^{total}] \quad (32)$$


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specific to  $P_{flhDC}$ -circuit

$$(11) \Rightarrow \frac{d[(FliA)_{n_{11}} \blacktriangleright P_{flhDC}]}{dt} = k_9 [FliA]^{n_{11}} [P_{flhDC}] - k_{-11} [(FliA)_{n_{11}} \blacktriangleright P_{flhDC}] \quad (33)$$

$$\Rightarrow [(FliA)_{n_{11}} \blacktriangleright P_{flhDC}]_{eq} = \frac{[FliA]^{n_{11}}}{K_{11} + [FliA]^{n_{11}}} \cdot [P_{flhDC}^{total}] \quad (34)$$

specific to  $P_{tet}$ -circuit

$$(18) \Rightarrow \frac{d[P_{tet}]}{dt} = -k_{18}[TetR][P_{tet}] + k_{-18}[(TetR)_{n_{18}} \blacktriangleright P_{tet}] \quad (35)$$

$$\Rightarrow [P_{tet}]_{eq} = \frac{K_{18}}{K_{18} + [TetR]^{n_{18}}} \cdot [P_{tet}^{total}] \quad (36)$$

specific to  $P_{tet}$ -circuit

$$(17) \Rightarrow \frac{d[TetR]}{dt} = -k_{17}[TetR][aTc] + k_{-17}[aTc \blacktriangleright TetR] \quad (37)$$

$$\Rightarrow [TetR]_{eq} = \frac{K_{17}}{K_{17} + [aTc]} \cdot [TetR^{produced}] \quad (38)$$

specific to  $P_{flhDC}$ -circuit

$$(19) \Rightarrow \frac{d[P_{flhDC}]}{dt} = -k_{19}[OmpR^* \blacktriangleright HSL]^{n_{19}}[P_{flhDC}] + k_{-19}[(OmpR^*)_{n_{19}} \blacktriangleright P_{flhDC}] \quad (39)$$

$$\Rightarrow [P_{flhDC}]_{eq} = \frac{K_{19}}{K_{19} + [OmpR^*]^{n_{19}}} \cdot [P_{flhDC}^{total}] \quad (40)$$

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specific to  $P_{tet}$ -circuit

$$(1) \text{ and } (20) \Rightarrow \frac{d[FlhDC]}{dt} = \beta_1[P_{tet}]_{eq} - \gamma_{20}[FlhDC] \quad (41)$$

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specific to  $P_{flhDC}$ -circuit

$$(2) \text{ and } (12) \text{ and } (20) \Rightarrow \frac{d[FlhDC]}{dt} = \beta_2[P_{flhDC}]_{eq} + \beta_{12}[(FlIA)_{n_{11}} \blacktriangleright P_{flhDC}]_{eq} - \gamma_{20}[FlhDC] \quad (42)$$

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$$(5) \text{ and } (13) \text{ and } (21) \Rightarrow \frac{d[FlIA]}{dt} = \beta_5[(FlhDC)_{n_3} \blacktriangleright P_{flIA}]_{eq} + \beta_{13}[(FlIA)_{n_9} \blacktriangleright P_{flIA}]_{eq} - \gamma_{21}[FlIA] \quad (43)$$

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$$(6) \text{ and } (14) \text{ and } (22) \Rightarrow \frac{d[FP3]}{dt} = \beta_6[(FlhDC)_{n_4} \blacktriangleright P_{flhB}]_{eq} + \beta_{14}[(FlIA)_{n_{10}} \blacktriangleright P_{flhB}]_{eq} - \gamma_{22}[FP3] \quad (44)$$

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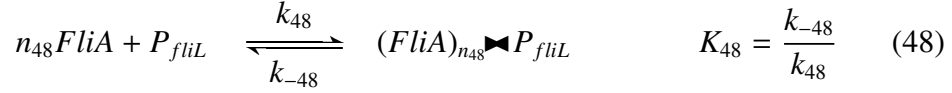
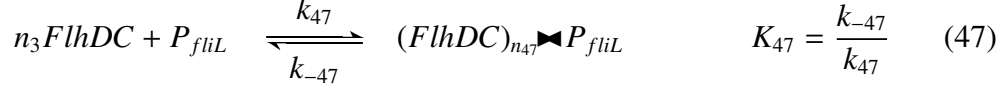
specific to  $P_{tet}$ -circuit

$$(7) \text{ and } (15) \text{ and } (23) \Rightarrow \frac{d[TetR]}{dt} = \beta_6[(FlhDC)_{n_4} \blacktriangleright P_{flhB}]_{eq} + \beta_{14}[(FlIA)_{n_{10}} \blacktriangleright P_{flhB}]_{eq} - \gamma_{23}[TetR] \quad (45)$$

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specific to  $P_{flhDC}$ -circuit

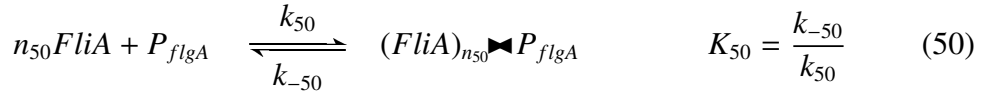
$$\begin{aligned} (8) \text{ and } (16) \text{ and } (24) \Rightarrow \frac{d[OmpR^*]}{dt} = & \beta_6[(FlhDC)_{n_4} \blacktriangleright P_{flhB}]_{eq} \\ & + \beta_{14}[(FlhA)_{n_{10}} \blacktriangleright P_{flhB}]_{eq} \\ & - \gamma_{24}[OmpR^*] \end{aligned} \tag{46}$$



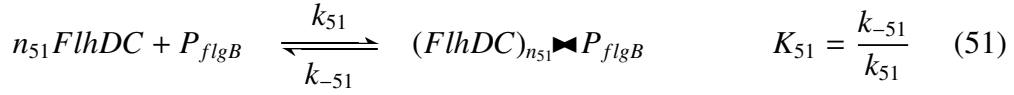
specific to  $P_{flgA}$ -circuit



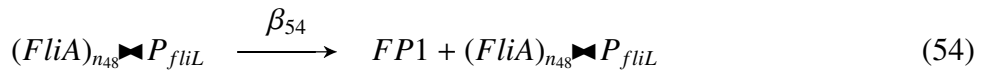
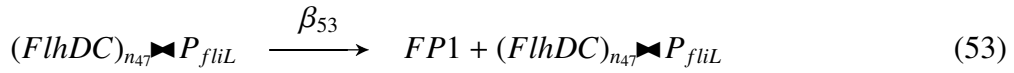
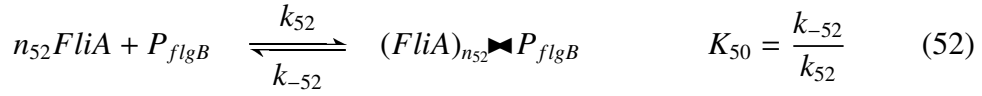
specific to  $P_{flgA}$ -circuit



specific to  $P_{flgB}$ -circuit

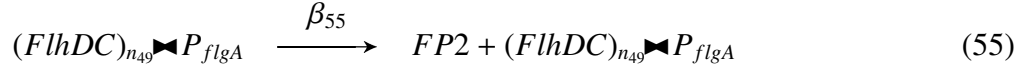


specific to  $P_{flgB}$ -circuit

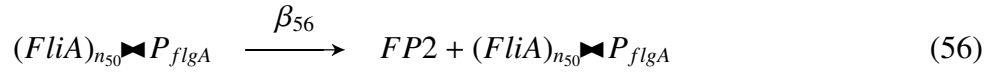




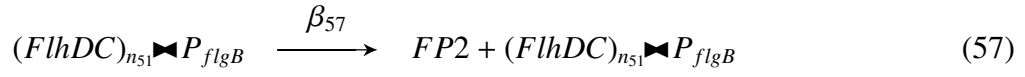
specific to  $P_{flgA}$ -circuit



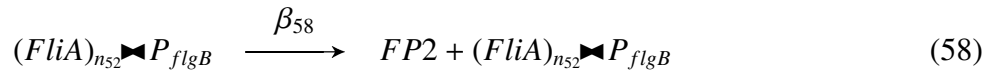
specific to  $P_{flgA}$ -circuit



specific to  $P_{flgB}$ -circuit



specific to  $P_{flgB}$ -circuit



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$$(47) \Rightarrow \frac{d[(FlhDC)_{n47} \blacktriangleright P_{fliL}]}{dt} = k_{47}[FlhDC]^{n47} [P_{fliL}] - k_{-47}[(FlhDC)_{n47} \blacktriangleright P_{fliL}] \quad (61)$$

$$\Rightarrow [(FlhDC)_{n47} \blacktriangleright P_{fliL}]_{eq} = \frac{[FlhDC]^{n47}}{K_{47} + [FlhDC]^{n47}} \cdot [P_{fliL}^{total}] \quad (62)$$


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$$(48) \Rightarrow \frac{d[(FliA)_{n48} \blacktriangleright P_{fliL}]}{dt} = k_9[FliA]^{n48} [P_{fliL}] - k_{-48}[(FliA)_{n48} \blacktriangleright P_{fliL}] \quad (63)$$

$$\Rightarrow [(FliA)_{n48} \blacktriangleright P_{fliL}]_{eq} = \frac{[FliA]^{n48}}{K_{48} + [FliA]^{n48}} \cdot [P_{fliL}^{total}] \quad (64)$$


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specific to  $P_{flgA}$ -circuit

$$(49) \Rightarrow \frac{d[(FlhDC)_{n49} \blacktriangleright P_{flgA}]}{dt} = k_{49}[FlhDC]^{n49} [P_{flgA}] - k_{-49}[(FlhDC)_{n49} \blacktriangleright P_{flgA}] \quad (65)$$

$$\Rightarrow [(FlhDC)_{n49} \blacktriangleright P_{flgA}]_{eq} = \frac{[FlhDC]^{n49}}{K_{49} + [FlhDC]^{n49}} \cdot [P_{flgA}^{total}] \quad (66)$$


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specific to  $P_{flgA}$ -circuit

$$(50) \Rightarrow \frac{d[(FliA)_{n50} \blacktriangleright P_{flgA}]}{dt} = k_9[FliA]^{n50} [P_{flgA}] - k_{-50}[(FliA)_{n50} \blacktriangleright P_{flgA}] \quad (67)$$

$$\Rightarrow [(FliA)_{n50} \blacktriangleright P_{flgA}]_{eq} = \frac{[FliA]^{n50}}{K_{50} + [FliA]^{n50}} \cdot [P_{flgA}^{total}] \quad (68)$$


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specific to  $P_{flgB}$ -circuit

$$(51) \Rightarrow \frac{d[(FlhDC)_{n51} \blacktriangleright P_{flgB}]}{dt} = k_{51}[FlhDC]^{n51} [P_{flgB}] - k_{-51}[(FlhDC)_{n51} \blacktriangleright P_{flgB}] \quad (69)$$

$$\Rightarrow [(FlhDC)_{n51} \blacktriangleright P_{flgB}]_{eq} = \frac{[FlhDC]^{n51}}{K_{51} + [FlhDC]^{n51}} \cdot [P_{flgB}^{total}] \quad (70)$$

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specific to  $P_{flgB}$ -circuit

$$(52) \Rightarrow \frac{d[(FlIA)_{n52} \blacktriangleright P_{flgB}]}{d t} = k_{??}[FlIA]^{n52}[P_{flgB}] - k_{-52}[(FlIA)_{n52} \blacktriangleright P_{flgB}] \quad (71)$$

$$\Rightarrow [(FlIA)_{n52} \blacktriangleright P_{flgB}]_{eq} = \frac{[FlIA]^{n52}}{K_{52} + [FlIA]^{n52}} \cdot [P_{flgB}^{total}] \quad (72)$$

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$$\begin{aligned}
(53) \text{ and } (54) \text{ and } (59) \Rightarrow \frac{d[FP1]}{dt} = & \beta_{53}[(FlhDC)_{n_{47}} \blacktriangleright P_{fliL}] \\
& + \beta_{54}[(FliA)_{n_{48}} \blacktriangleright P_{fliL}] \quad (73) \\
& - \gamma_{59}[FP1]
\end{aligned}$$


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specific to  $P_{flgA}$ -circuit

$$\begin{aligned}
(55) \text{ and } (56) \text{ and } (60) \Rightarrow \frac{d[FP2]}{dt} = & \beta_{55}[(FlhDC)_{n_{49}} \blacktriangleright P_{flgA}] \\
& + \beta_{56}[(FliA)_{n_{50}} \blacktriangleright P_{flgA}] \\
& - \gamma_{60}[FP2] \quad (75)
\end{aligned}$$


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specific to  $P_{flgB}$ -circuit

$$\begin{aligned}
(57) \text{ and } (58) \text{ and } (60) \Rightarrow \frac{d[FP2]}{dt} = & \beta_{57}[(FlhDC)_{n_{51}} \blacktriangleright P_{flgB}] \\
& + \beta_{58}[(FliA)_{n_{52}} \blacktriangleright P_{flgB}] \\
& - \gamma_{60}[FP2] \quad (75)
\end{aligned}$$